# Component Area Option (a): Mathematics/Reasoning - MATH 1312 <br> Restricted Use - AR -UGRD Course - REVISE existing Core Course <or> Revise existing non-core course to ADD to Core 

## General Information

Please use this form to:

- REVISE a course that is already on the Core course list.
- ADD to the Core course list an existing permanent course that is not already on the Core course list


## Course Ownership

| Department* | Department of Mathematics |  |
| :--- | :--- | :--- |
| Will the course be   <br> cross-listed with   <br> another area?* Yes No "Yes", please |  |  |
|  |  | If "nter the cross- <br> listed course <br> information |
| (Prefix Code |  |  |

## Implementation

```
    Academic Year to 2015
        begin offering
            course:* 2016
                2017
        Term(s) Course Fall (including all sessions within term)
        will be TYPICALLY
            Offered:* Spring (including Winter Mini all sessions within term
                    * Summer (including Summer Mini and all sessions within term)
```


## Justification for changing course

Justification(s) for Adding Course*

Justification "Other" if selected above:

# Importing course information for revising existing Core course 

```
Instructional MATH Course Number* }131
Area/Course
            Prefix*
Long Course Title* Introduction to Mathematical Reasoning
```

Short Course Title

## Instruction Type and Student Contact Hours

Instruction Type* Lecture ONLY

## Contact Hours

Student Contact Hours are determined by a number of factors, including instruction type, and are used to determine the accuracy of credit hours earned by accrediting agencies and THECB. Please contact your college resource for assistance with this information.

Student Contact Hours must match the instruction type.
Eg: If Lecture ONLY, then Student Contact Hours for Lab must be zero.
Eg: If Lab ONLY, then Student Contact Hours for Lecture must be zero.

Lecture* 3
Lab* 0

## Grade Options

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Grade Option* Letter (A, B, C.....)
```

CIP Code
The CIP Code is used by the university and the THECB to determine funding allocated to the course, which means that selecting the most helpful valid code may have an effect on your course.

If assistance is needed with code selection, please contact your college resource.
CIP Code Directory: http://www.txhighereddata.org/Interactive/CIP/

CIP Code must use this format:
\#\#.\#\#\#\#.\#\# \#\#

## Course Repeatability

```
Can this course be Yes*No
repeated for
    credit?*
```

If Yes, how often and/or under what conditions may the course be
repeated?

CIP Code* 27.0101.00 01

## Catalog Descriptions

Prerequisite(s):* credit for or placement out of MATH 1310 or MATH 1311

## Corequisite(s)

Course
Description*

Principles of logic and proof, set theory, formal and informal geometry.

Course Notes
May not apply to course or gpa requirements for a major or minor in natural sciences and mathematics.

## Authorized Degree Program(s)

| Impact Report * | Prerequisite: | MATH 2303 - Concepts in Algebra |
| :---: | :---: | :---: |
|  |  | MATH 3303 - Elements of Algebra and Number Theory |
|  |  | MATH 3304 - Elements of Mathematical Analysis |
|  |  | MATH 3305 - Formal and Informal Geometry |
|  |  | MATH 3306 - Problem Solving in Mathematics |
|  |  | MATH 3307 - Statistical Applications |
|  | Programs | Bilingual Elementary Teaching and Curriculum Degree Plan |
|  |  | Elementary Teaching Curriculum Degree Plan |
|  |  | Human Development and Family Studies EC-6 Generalist |
|  |  | Middle School Teaching and Curriculum, ELA Degree Plan |
|  |  | Middle School Teaching and Curriculum, Math Degree Plan |
|  |  | Middle School Teaching and Curriculum, Science Degree Plan |
|  |  | Middle School Teaching and Curriculum, Social Studies Degree Plan |

For additional guidance when developing course curriculum that will also meet the Core Curriculum requirements, please refer to the Undergraduate Committee website for Core Curriculum:

## http://www,uh.edu/undergraduate-committee/doc 2014-core-review.html

Therein you will find a chart for the required and optional competencies based on the Core Component Area (Core Category) selected.

## Component Area for which the course is being proposed (select one)*

List the student learning outcomes for the course*

## Component Area Option (a): Mathematics/Reasoning

Students will be able to:

Define and use logical reasoning and valid statements to develop formal proofs.
Define and construct lines, rays, and angles given a set of conditions.
Understand geometrical foundations and fundamental postulates.
Use and define angle types and relationships.

Define the parts of a direct proof and write a formal geometric proof.
Define and construct perpendicular lines, and use the parallel postulate.

Define conditional, converse, inverse and contrapositive and write an indirect geometric proof.

Classify triangles and construct different types of triangles.

Define properties of convex polygons and construct convex polygons.
Define symmetry with respect to a line and a point and use transformations on geometric figures.

Prove and define congruent triangles and congruent parts of triangles.

Define and use isosceles triangles

Define and use triangle inequality theorems.

Define and use the properties of parallelograms and kites.

Define and use the properties of various quadrilaterals.

Understand and use ratios, rates, and proportions in geometry.

Define and prove similar triangles and polygons.

Use the Pythagorean theorem and define special right triangles.
Define and construct circles and related segments.

Define and construct locus of points and concurrent lines of a triangle
Find the area and perimeter of various polygons
Define and use properties of regular polygons.
Find the area and volume of prisms and pyramids.
Find the area and volume of cones and cylinders

Define properties of polyhedrons and use Euler's Formula.

```
Competency areas Communication Skills
    addressed by the
        course* Critical Thinking
            Empirical & Quantitative Skills
```

Because we will be assessing student learning outcomes across multiple core courses, assessments assigned in your course must include assessments of the core competencies. For each competency selected above, indicated the specific course assignment(s) which, when completed by students, will provide evidence of the competency.

Provide (upload as attachment) detailed information, such as copies of the paper or project assignment, copies of individual test items, etc. A single assignment may be used to provide data for multiple competencies.

## Critical Thinking, if applicable

Virtually every question asked requires critical thinking. Of the examples in the attached syllabus, 1.3. 2.1, 2.3, 3.1(b), 4.2, 5.3, etc all examine mathetical critical thinking.

Communication
Skills, if applicable

Proofs are a large part of this class which require particular communication skills. Some examples in the attached syllabus include 1.1, 1.5, 1.7, 2.2, etc all require communication skills.

Empirical \& Quantitative Skills, if applicable

As a lower-division math class, the fundamental skills required are quantitative
Virtually all examples in the attached syllabus required some form of quantification.

Teamwork, if applicable

Social Responsibility, if applicable

Personal Responsibility, if applicable

## Syllabus

Syllabus* Syllabus Attached

Will the syllabus vary across multiple section of the course?*

If yes, list the assignments that will be constant across sections

## Important information regarding Core course effectiveness evaluation:

Inclusion in the core is contingent upon the course being offered and taught at least once every other academic year. Courses will be reviewed for renewal every 5 years.

The department understands that instructors will be expected to provide student work and to participate in university-wide assessments of student work. This could include, but may not be limited to, designing instruments such as rubrics, and scoring work by students in this or other courses. In addition, instructors of core courses may be asked to include brief assessment activities in their course.

## Additional Information Regarding This Proposal

## Comments:

# Math 1312: Introduction to Math Reasoning Course Syllabus 

Section number: This information applies to ALL face-to-face sections Delivery format: face-to-face lecture

Prerequisite: credit for or placement out of MATH 1310 or MATH 1311
Textbook: Elementary Geometry for College Students by
Alexander and Koeberlein, 5th edition
The information contained in this class outline is an abbreviated description of the course. Additional important information is contained in the departmental policies statement at http://www.math.uh.edu/~dog/13xxPolicies.doc and at your instructor's personal webpage. You are responsible for knowing all of this information.

Upon successful completion of this course, students will be able to use the basics of proving theorems and argue a point of view effectively. The topics lend themselves to learning the methods of proving an assertion. The course is designed for pre-service elementary and middle school teachers.

A student in this class is expected to complete the following assignments:
13 Regular Exams
2 Final Exam
3 Online Quizzes - one per week.
4 Homework - on each section of the textbook covered in class
5 Poppers - in-class quizzes given daily starting the 3 rd week of classes.

| $\circ$ | Homework | $10 \%$ |  |
| :--- | :--- | :--- | :--- |
| $\circ$ | Poppers | $10 \%$ |  |
| $\circ$ | Quizzes | $10 \%$ |  |
| $\circ$ |  |  |  |
| $\circ$ | Tests | $51 \%$ | $(17 \%$ each $)$ |
| $\circ$ | Final Exam | $19 \%$ |  |

Total: 100\%
Some learning materials are found online on the CourseWare site at www.casa.uh.edu. Students are required to purchase an access code at the Book Store to access the learning materials.

## Introduction to Mathematical Reasoning Topic List

Chapter 1 -Line and Angle Relationships
1.1 Sets, Statements and Reasoning
1.2 Informal Geometry and Measurement
1.3 Early Definitions and Postulates
1.4 Angles and Their Relationships
1.5 Introduction to Geometric Proof
1.6 Relationships: Perpendicular Lines
1.7 The Formal Proof of a Theorem

Chapter 2 - Parallel Lines
2.1 The Parallel Postulate and Special Angles
2.2 Indirect Proof
2.3 Proving Lines Parallel
2.4 The Angles of a Triangle
2.5 Convex Polygons
2.6 Symmetry and Transformations

Chapter 3 -Triangles
3.1 Congruent Triangles
3.2 Corresponding Parts of Congruent Triangles
3.3 Isosceles Triangles
3.4 Basic Constructions Justified
3.5 Inequalities in a Triangle

Chapter 4 - Quadrilaterals
4.1 Properties of a Parallelogram
4.2 The Parallelogram and Kite
4.3 The Rectangle, Square and Rhombus
4.4 The Trapezoid

Chapter 5-Similar Triangles
5.1 Ratios, Rates and Proportions
5.2 Similar Polygons
5.3 Proving Triangles Similar
5.4 Pythagorean Theorem
5.5 Special Right Triangles
5.6 Segments Divided Proportionally

Chapter 6-Circles
6.1 Circles and Related Segments and Angles
6.2 More Angle measures in a Circle
6.3 Line and Segment Relationships in the Circle
6.4 Some Constructions and Inequalities for the Circle

Chapter 8 - Areas of Polygons and Circles
8.1 Area and Initial Postulates
8.2 Perimeter and Area of Polygons
8.3 Regular Polygons and Area
8.4 Circumference and Area of a Circle
8.5 More Area Relationships in the Circle

Chapter 9 - Surfaces and Solids
9.1 Prisms, Area and Volume
9.2 Pyramids, Area and Volume
9.3 Cylinders and Cones
9.4 Polyhedrons and Spheres

## MATH 1312 Syllabus

Course Objectives

| Chapter.Section | Objective and Example | Material Covered |
| :---: | :---: | :---: |
| 1.1 | Define and use logical reasoning and valid statements to develop formal proofs. <br> Example: Given the statement "If the diagonals of a parallelogram are perpendicular, then the parallelogram is a rhombus", state the hypothesis and the conclusion. | Week 1 |
| 1.2 | Define and construct lines, rays, and angles given a set of conditions. <br> Example: Which symbols correctly name the angle shown? <br> a) $\angle \mathrm{ABC}$ <br> b) $<\mathrm{ACB}$ | Week 1 |
| 1.3 | Understand geometrical foundations and fundamental postulates. <br> Example: Given $M$ is the midpoint of the line $A B$, $A M=2 x+1$ and $M B=3 x-2$, find $x$ and $A B$. | Week 1 |
| 1.4 | Use and define angle types and relationships. <br> Example 1: What type of angle is each of the following and what relationship, if any, exists between the two angles? <br> a) $37^{\circ}$ <br> b) $143^{\circ}$ | Week 2 |
| 1.5 1.7 | Define the parts of a direct proof and write a formal geometric proof. <br> Example 1: Given: D-E-F on line DF <br> Make a drawing and state a conclusion based on the Segment-Addition Postulate <br> Example 2: Complete a formal two-column direct proof of the following theorem, "If two lines intersect, the vertical angles formed are congruent." | Week 2 <br> Week 3 |


| Chapter.Section | Objective and Examples <br> Define and construct perpendicular lines, and use the parallel postulate. | Material Covered |
| :---: | :---: | :---: |
| 1.6 | Example 1: Given: Point N on line $s$ <br> Construct: Line $s$, point N , and line $m$ through N so that $m$ is perpendicular to line $s$. | Week 3 |
| 2.1 | Example 2: Suppose that $r$ is parallel to $s$ in the figure shown and $\mathrm{m}<2=87^{\circ}$. | Week 4 |
|  | Find <br> a) $\mathrm{m}<3$ <br> b) $\mathrm{m}<6$ | Week 4 |
| 2.3 | Example 3: Determine the value of $x$ so that line $r$ will be parallel to line $s$ in the figure shown given that $\mathrm{m}<4=5 x$ and $\mathrm{m}<5=4(x+5)$. |  |
| 2.2 | Define conditional, converse, inverse and contrapositive and write an indirect geometric proof. | Week 4 |
|  | Example 1: Write the converse, the inverse, and the contrapositive of the statement, "Two angles are complementary if the sum of their measures is $90^{\circ}$." |  |
|  | Example 2: Which one of the following statements would you prove by the indirect method? <br> a) In triangle $A B C$, if $m<A$ is greater than $m<B$, then $A C$ will not equal $B C$. <br> b) If $(x+2) \cdot(x-3)=0$, then $x=-2$ or $x=3$. |  |
|  | Classify triangles and construct different types of triangles. |  |
| 2.4 | Example: Draw, if possible, an <br> a) isosceles obtuse triangle. <br> b) equilateral right triangle. | Week 5 |
|  | Define properties of convex polygons and construct convex polygons. |  |
| 2.5 | Example: The face of a clock has the shape of a regular polygon with 12 sides. What is the measure of the interior and exterior angle formed by two consecutive sides? | Week 5 |

\begin{tabular}{|c|c|c|}
\hline Chapter.Section \& Objective and Examples \& Material Covered \\
\hline 2.6 \& \begin{tabular}{l}
Define symmetry with respect to a line and a point and use transformations on geometric figures. \\
Example 1: Which words have a vertical line of symmetry? DAD MOM NUN EYE \\
Example 2: Given a random geometrical figure, does the following pair of transformations lead to an image that repeats the original figure? Figure is rotated clockwise about a point \(180^{\circ}\) twice.
\end{tabular} \& Week 5 \\
\hline 3.1

3.2 \& \begin{tabular}{l}
Prove and define congruent triangles and congruent parts of triangles. <br>
Example 1: In the figure below, the triangles to be proved congruent have been redrawn separately. Congruent parts are marked. <br>
(a) Name an additional pair of parts that are congruent by Identity. <br>
(b) Considering the congruent parts, state the reason why the triangles must be congruent. <br>
Example 2: After proving the triangles congruent, use CPCTC to prove the following. Given: $<\mathrm{MPN}$ and $<\mathrm{MPQ}$ are right angles and P is the midpoint of line NQ. Prove: $<\mathrm{N}$ is congruent to $<\mathrm{Q}$.

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Week 6 <br>
Week 6
\end{tabular} <br>

\hline 3.3 \& | Define and use isosceles triangles. |
| :--- |
| Example: Find the measure of $<1$ and $<2$ if the measure of $<3$ is $68^{\circ}$ | \& Week 7 <br>


\hline 3.5 \& | Define and use triangle inequality theorems. |
| :--- |
| Example: If possible, draw a triangle whose |
| (a) angles measure $100^{\circ}, 100^{\circ}$, and $60^{\circ}$. |
| (b) sides measure 8,9 , and 10 . | \& Week 7 <br>

\hline
\end{tabular}

\begin{tabular}{|c|c|c|}
\hline Chapter.Section \& Objective and Examples \& Material Covered <br>
\hline 4.1

4.2 \& \begin{tabular}{l}
Define and use the properties of parallelograms and kites. <br>
Example 1: Given that $\mathrm{m}<\mathrm{A}=2 x+3$ and $\mathrm{m}<\mathrm{B}=3 x-23$, find the measure of each angle of the parallelogram $A B C D$ shown below. <br>
Example 2: A carpenter lays out boards of lengths $8 \mathrm{ft}, 8$ $\mathrm{ft}, 4 \mathrm{ft}$, and 4 ft by placing them end-to-end. <br>
(a) If these are joined at the ends to form a quadrilateral that has the 8 -ft pieces connected in order, what type of quadrilateral is formed? <br>
(b) If these are joined at the ends to form a quadrilateral that has the $4-\mathrm{ft}$ and 8 - ft pieces alternating, what type of quadrilateral is formed?

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Week 8 <br>
Week 8
\end{tabular} <br>

\hline 4.3

4.4 \& \begin{tabular}{l}
Define and use the properties of various quadrilaterals. <br>
Example 1: Given rectangle ABCD , with $\mathrm{AB}=2 x+7$, $\mathrm{BC}=3 x+4$ and $\mathrm{CD}=3 \mathrm{x}+2$, find $x$ and DA . <br>
Example 2: The state of Nevada approximates the shape of a trapezoid with these dimensions for boundaries: 340 miles on the north, 515 miles on the east, 435 miles on the south, and 225 miles on the west. If A and B are points located midway across the north and south boundaries, what is the approximate distance directly from point A to point B ?

 \& 

Week 9 <br>
Week 9
\end{tabular} <br>

\hline 5.1 \& | Understand and use ratios, rates, and proportions in geometry. |
| :--- |
| Example: Assume that AD is the geometric mean of BD and $D C$ in triangle $A B C$ shown in the accompanying drawing. Find $A D$ if $B D=6$ and $D C=8$. | \& Week 10 <br>

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\end{tabular}

| Chapter.Section | Objective and Examples | Material Covered |
| :---: | :---: | :---: |
| 5.2 5.3 | Define and prove similar triangles and polygons. <br> Example 1: Quadrilateral MNPQ ~ quadrilateral RSTU, if $\mathrm{MN}=5, \mathrm{NP}=n, \mathrm{RS}=10$, and $\mathrm{ST}=n+3$, find $n$. <br> Example 2: Classify the following statement as true or false. If the vertex angles of two isosceles triangles are congruent, then the triangles are similar. | Week 10 <br> Week 10 |
| 5.4 5.5 | Use the Pythagorean theorem and define special right triangles. <br> Example 1: Determine whether the triple $(3,4,5)$ is a Pythagorean triple. <br> Example 2: Given: Triangle NQM with angles shown in the drawing with line MP perpendicular to NQ. Find: NM, MP, MQ, PQ, and NQ. | Week 11 <br> Week 11 |
| 6.1 | Define and construct circles and related segments. <br> Example: Suppose that a circle is divided by points A, B, $C$, and $D$ into four congruent arcs. What is the measure of each arc? If these points are joined in order, what type of quadrilateral results? | Week 11 |
| 7.2 | Define and construct locus of points and concurrent lines of a triangle <br> Example 1: In the figure, which of the points $\mathrm{A}, \mathrm{B}$, and C belong to "the locus of points in the plane that are at distance $r$ from point $\mathrm{P}^{\prime \prime}$ ? <br> Example 2: What is the general name of the point of concurrence for the three angle bisectors of a triangle? | Week 12 |

MATH 1312 - Introduction to Mathematical Reasoning

| 8.1 | Find the area and perimeter of various polygons <br> Example 1: A rectangle's length is 6 cm, and its width is <br> 9 cm. Find the perimeter and the area of the rectangle. | Week 12 |
| :--- | :--- | :--- |
| 8.2 | Example 2: Using Heron's Formula, find the area of a <br> triangle whose sides measure 13 in., 14 in., and 15 in. | Week 12 |


| Chapter.Section | Objective and Examples | Material Covered |
| :---: | :---: | :---: |
| 8.3 | Define and use properties of regular polygons. <br> Example: Find the measure of the central angle of a regular polygon of five sides. | Week 13 |
| 9.1 9.2 | Find the area and volume of prisms and pyramids. <br> Example 1: How many a) vertices, b) edges (lateral edges plus base edges) and c) faces (lateral faces plus bases) does a triangular prism have? <br> Example 2: In a pentagonal pyramid, suppose each base edge measures 9.2 cm and the apothem of the base measures 6.3 cm . The altitude of the pyramid measures 14.6 cm . Find the base area of the pyramid and the volume of the pyramid. | Week 13 <br> Week 14 |
| 9.3 | Find the area and volume of cones and cylinders <br> Example: The teepee has a circular floor with a radius equal to 6 ft and a height of 15 ft . Find the volume of the enclosure. | Week 15 |
| 9.4 | Define properties of polyhedrons and use Euler's Formula. <br> Example: A regular polyhedron has 12 edges and 6 vertices. <br> a) Use Euler's equation to find the number of faces. <br> b) Use the results from part (a) to name the regular polyhedron. | Week 15 |

